

# **Implementation / Programming: Procedural Programming Conceptual Frameworks**

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# Four Conceptual Frameworks for Discrete Simulation Programming in a High-Level Programming Language under the Procedural Paradigm

## M&S Areas

### A. Based on Model Representation:

1. Discrete M&S
2. Continuous M&S
3. Monte Carlo M&S
4. System Dynamics M&S
5. Gaming-based M&S
6. Agent-based M&S
7. AI-based M&S
8. VR-based M&S

### Discrete M&S Design Approaches:

- Object-Oriented Design
- Procedural Design

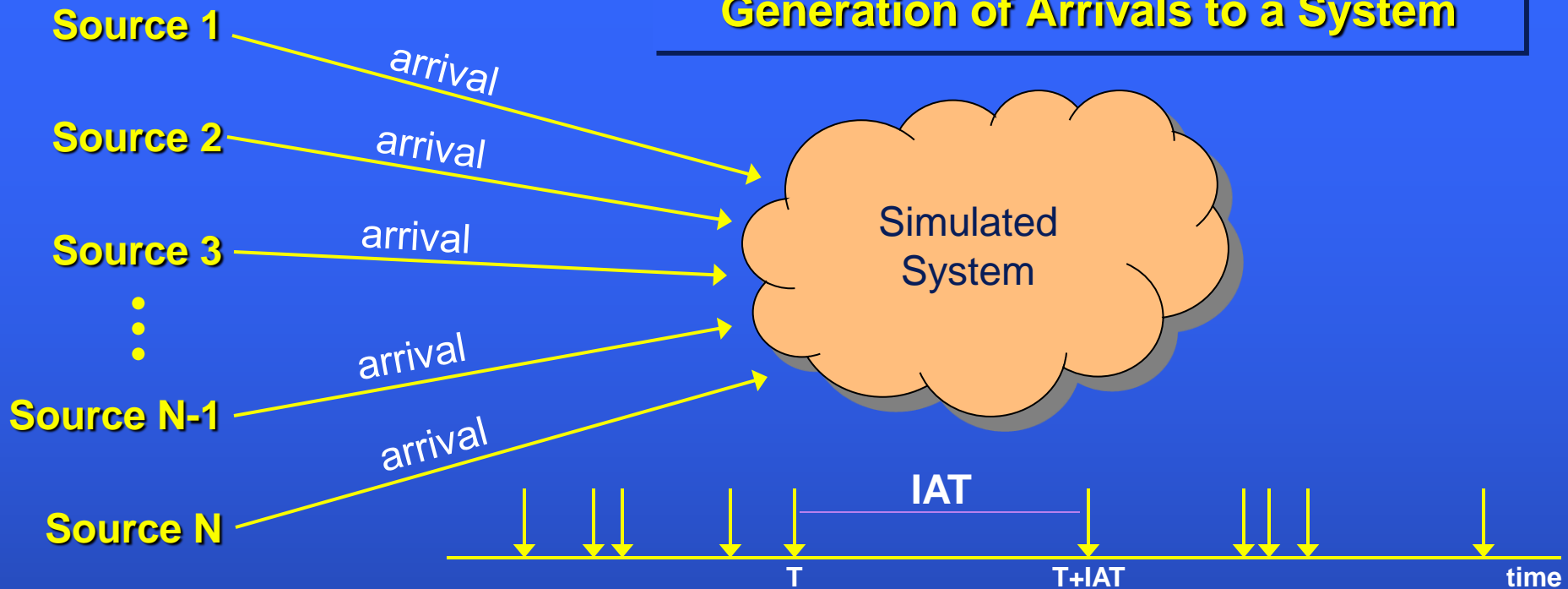
### Procedural Programming Conceptual Frameworks:

- ❖ Event Scheduling
- ❖ Activity Scanning
- ❖ Three-Phase Approach
- ❖ Process Interaction

## Time Flow Mechanism (TFM)

- TFM is that portion of a simulation that
  - Advances time in the simulation, and
  - Provides synchronization of the various parts of the simulation
  
- There are two basic types of TFMs:
  - **Fixed Time Increment TFM**  
The time (simulation clock) is advanced by a small fixed amount.
  - **Variable Time Increment or Next Event TFM**  
The time (simulation clock) is advanced from one event to the next.

# Generation of Arrivals to a System



- When an entity such as message, customer, packet, job, signal, etc.) **externally** arrives at time  $T$  to the system simulated from source  $S$ :
  - Hold the execution of the current arrival at time  $T$  temporarily.
  - Generate a random **inter-arrival time (IAT)** from the probability distribution representing the arrival process from source  $S$ .
  - Add the random IAT to the time  $T$ , to determine the arrival time of the next entity from that same source.
  - Schedule the arrival of the next entity in the simulation from the same source  $S$  at the future arrival time computed as  $T + IAT$
  - Execute the current arrival at time  $T$ .

# Example System to Simulate

User Group 1



User Group 2



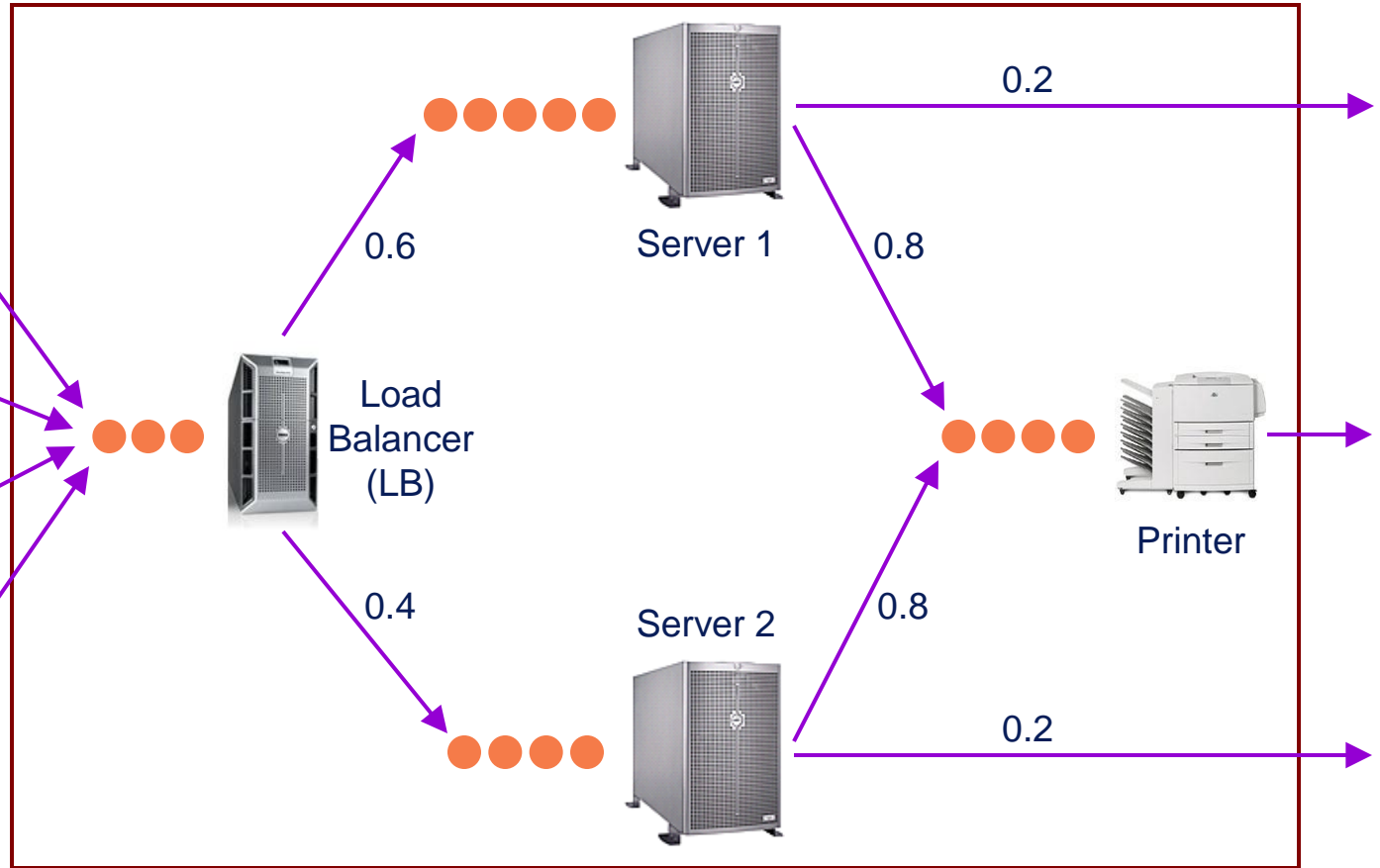
User Group 3



User Group 4



Computer System Physical Boundary



## Characterization of Random Variables

<b>User Group</b>	<b>Interarrival Times Probability Distribution</b>	<b>Mean Value (in seconds)</b>
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

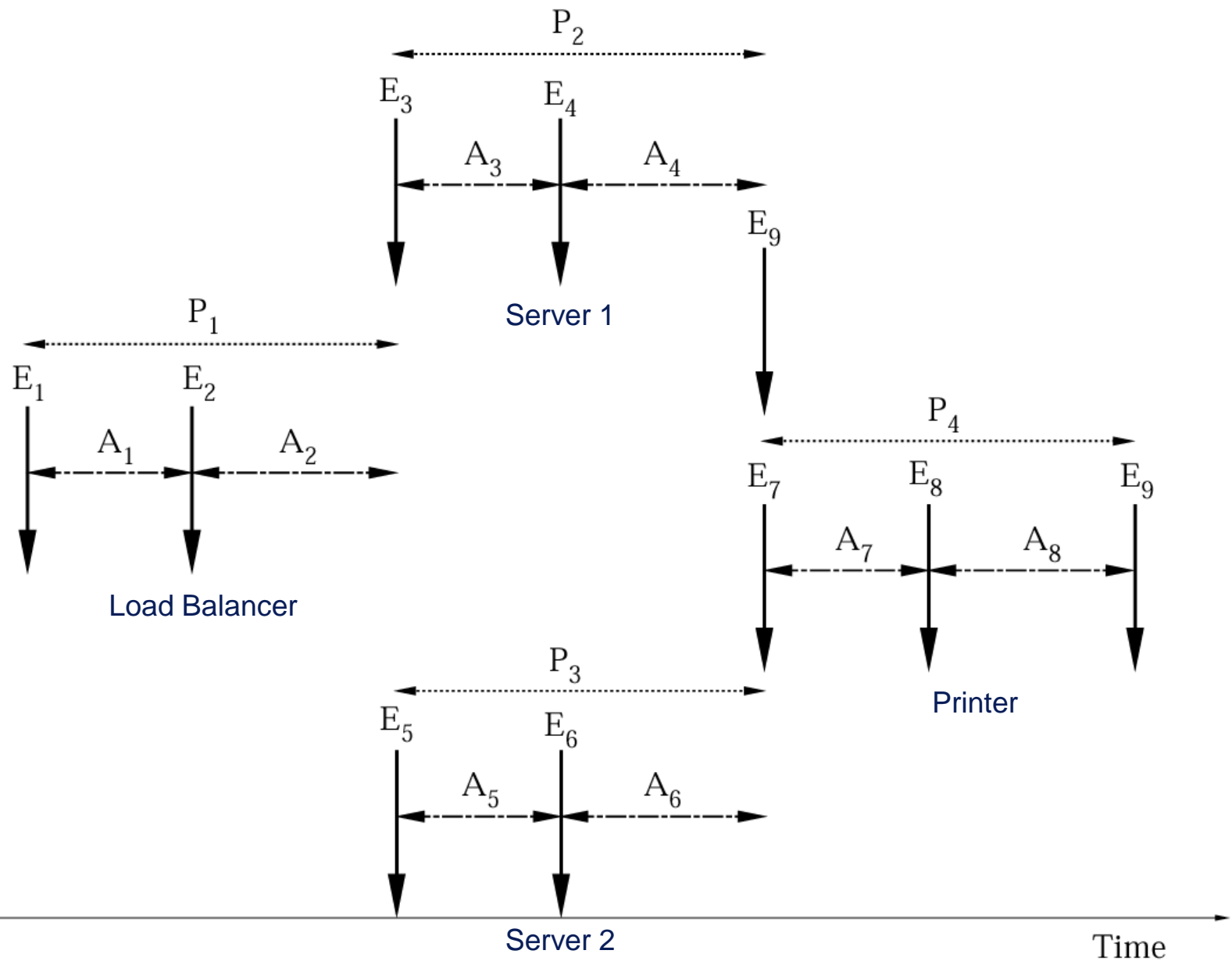
<b>Facility</b>	<b>Processing Times Probability Distribution</b>	<b>Mean Value (in seconds)</b>
Load Balancer	Exponential	112
Server 1	Exponential	226.67
Server 2	Exponential	300
Printer	Exponential	160

## Performance Measures of Interest

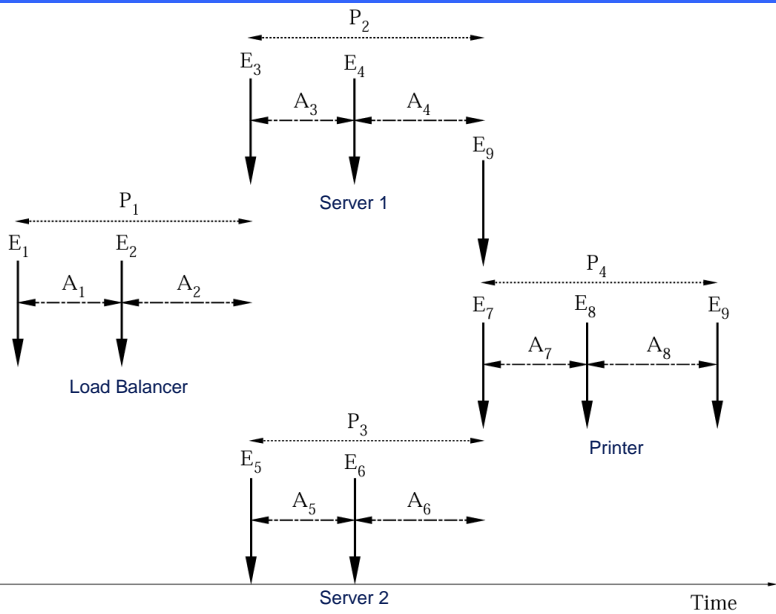
Assuming that the simulation model reaches steady-state conditions after 3,000 jobs, simulate the system for 15,000 jobs in steady state and construct **confidence intervals** for the following performance measures of interest:

1. Utilization of the Load Balancer ( $\rho_{LB}$ )
2. Utilization of the Server 1 ( $\rho_{S1}$ )
3. Utilization of the Server 2 ( $\rho_{S2}$ )
4. Utilization of the Printer ( $\rho_P$ )
5. Average time spent by a job in the computer system ( $W$ )
6. Average number of jobs in the computer system ( $L$ )

# Events, Activities, and Processes of the Example Problem

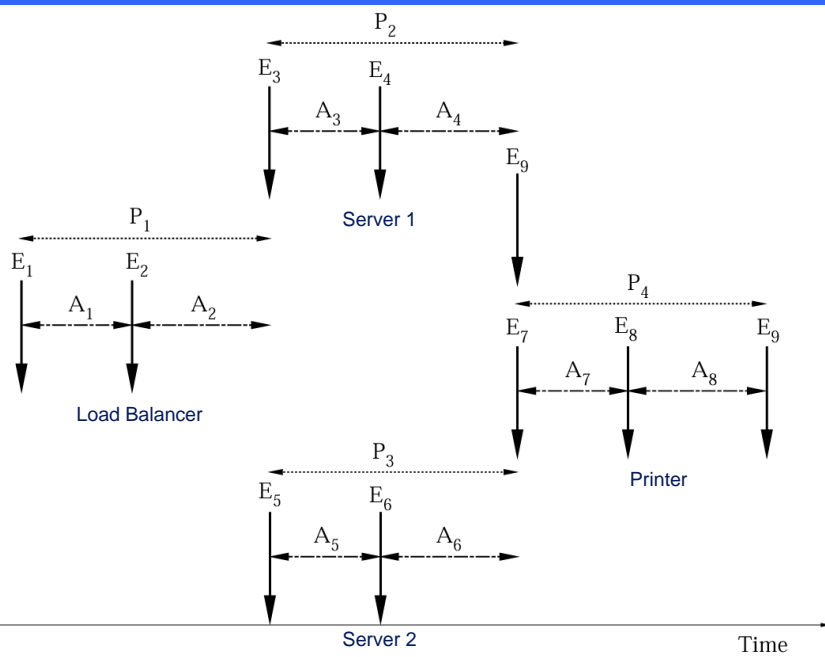


## Definition of Events



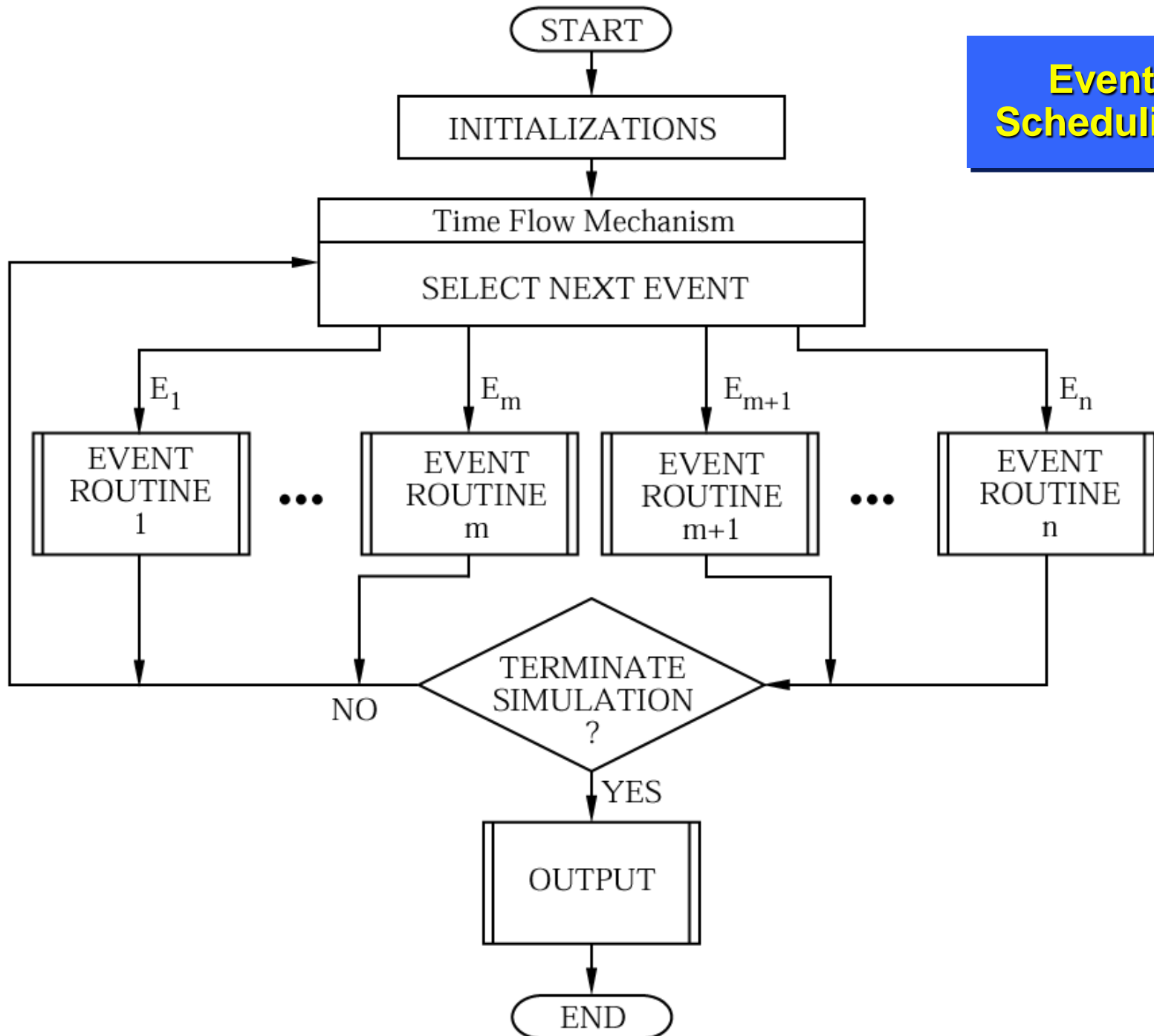
Event	Description	Attribute Value Changed
E <sub>1</sub>	Job arrival to the Load Balancer	No. of jobs in system
E <sub>2</sub>	Start of Load Balancer processing	Status of Load Balancer
E <sub>3</sub>	Job arrival to Server 1	No. of jobs in Server 1
E <sub>4</sub>	Start of execution on Server 1	Status of Server 1
E <sub>5</sub>	Job arrival to Server 2	No. of jobs in Server 2
E <sub>6</sub>	Start of execution on Server 2	Status of Server 2
E <sub>7</sub>	Job arrival to the Printer	No. of jobs in Printer
E <sub>8</sub>	Start of printing	Status of printer
E <sub>9</sub>	Job departure from the computer system	No. of jobs in system

## Definition of Activities



Event	Description	Starting Event	Ending Event
A <sub>1</sub>	Waiting for the Load Balancer	E <sub>1</sub>	E <sub>2</sub>
A <sub>2</sub>	Execution on the Load Balancer	E <sub>2</sub>	E <sub>3</sub> or E <sub>5</sub>
A <sub>3</sub>	Waiting for the Server 1	E <sub>3</sub>	E <sub>4</sub>
A <sub>4</sub>	Execution on the Server 1	E <sub>4</sub>	E <sub>7</sub> or E <sub>9</sub>
A <sub>5</sub>	Waiting for the Server 2	E <sub>5</sub>	E <sub>6</sub>
A <sub>6</sub>	Execution on the Server 2	E <sub>6</sub>	E <sub>7</sub> or E <sub>9</sub>
A <sub>7</sub>	Waiting for the Printer	E <sub>7</sub>	E <sub>8</sub>
A <sub>8</sub>	Execution on the Printer	E <sub>8</sub>	E <sub>9</sub>

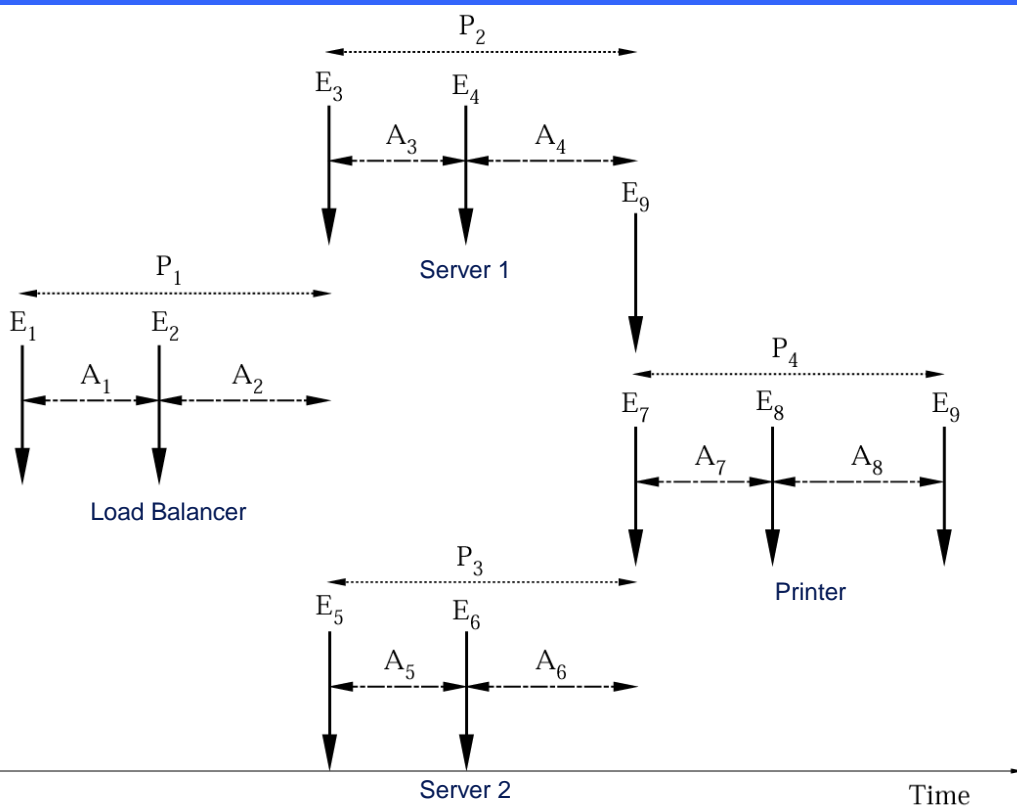
# Event Scheduling



## An Event List

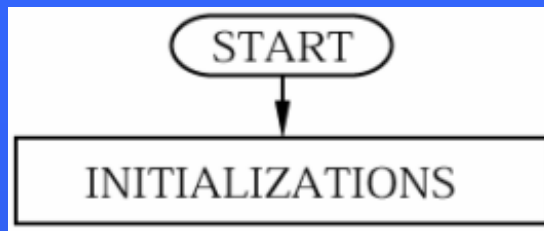
	<i>Attribute 1</i> <b>Event Occurrence Time</b>	<i>Attribute 2</i> <b>Event Identification</b>	<i>Attribute 3</i>	...	<i>Attribute k</i>
Record 1				...	
Record 2				...	
Record 3				...	
	⋮	⋮	⋮	⋮	⋮
Record r				...	

## Initializations



- Create a variable to show when in the future a server will be available so that we can schedule a service in the future:
  - `timeAtWhichLBWillBeIdle = 0`
  - `timeAtWhichServer1WillBeIdle = 0`
  - `timeAtWhichServer2WillBeIdle = 0`
  - `timeAtWhichPrinterWillBeIdle = 0`

## Initializations



Simulation Clock = 0

- As part of Initializations, generate and schedule the arrival of the **first job** from each of the four user groups.
- The **Interarrival Time** random variable has an **Exponential** probability distribution with different mean values as given below:

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

- Call the following Exponential RVG program to generate a random value for the Interarrival Time random variable:

```
double ExponentialRVG( double Mean ) {  
    return ( - Mean * log( RandomNumberGenerator( &RandomNumberSeed )) );  
}
```

## Initializations

Simulation Clock = 0

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

- Assume that calling **ExponentialRVG(3200)** returns 2567 as a random value for the Interarrival time. Add it to the current simulation clock value 0 to obtain an arrival time of 2567.
- Create an event record as follows:

Attribute 1 Event Occurrence Time	Attribute 2 Event ID	Attribute 3 Arrival Source	Attribute 4 Arrival Time
2567	E <sub>1</sub>	UG1	2567

- Insert this record in the Event List with respect to the Event Occurrence Time.

## Initializations

Simulation Clock = 0

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

- Assume that calling **ExponentialRVG(640)** returns 434 as a random value for the Interarrival time. Add it to the current simulation clock value 0 to obtain an arrival time of 434.
- Create an event record as follows:

Attribute 1 Event Occurrence Time	Attribute 2 Event ID	Attribute 3 Arrival Source	Attribute 4 Arrival Time
434	E <sub>1</sub>	UG2	434

- Insert this record in the Event List with respect to the Event Occurrence Time.

## Initializations

Simulation Clock = 0

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

- Assume that calling **ExponentialRVG(1600)** returns 1800 as a random value for the Interarrival time. Add it to the current simulation clock value 0 to obtain an arrival time of 1800.
- Create an event record as follows:

Attribute 1 Event Occurrence Time	Attribute 2 Event ID	Attribute 3 Arrival Source	Attribute 4 Arrival Time
1800	E <sub>1</sub>	UG3	1800

- Insert this record in the Event List with respect to the Event Occurrence Time.

## Initializations

Simulation Clock = 0

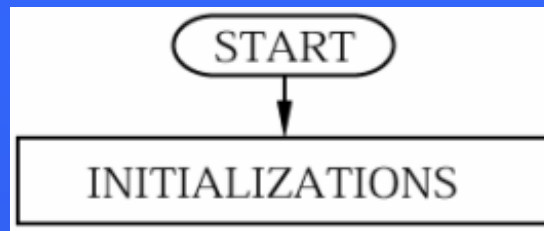
User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

- Assume that calling **ExponentialRVG(266.67)** returns 305 as a random value for the Interarrival time. Add it to the current simulation clock value 0 to obtain an arrival time of 305.
- Create an event record as follows:

Attribute 1 Event Occurrence Time	Attribute 2 Event ID	Attribute 3 Arrival Source	Attribute 4 Arrival Time
305	E <sub>1</sub>	UG4	305

- Insert this record in the Event List with respect to the Event Occurrence Time.

## Initializations



Simulation Clock = 0

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

Random Variates

2567
434
1800
305

The Event List after the Initializations:

Attribute 1 Event Occurrence Time	Attribute 2 Event ID	Attribute 3 Arrival Source	Attribute 4 Arrival Time
305	E <sub>1</sub>	UG4	305
434	E <sub>1</sub>	UG2	434
1800	E <sub>1</sub>	UG3	1800
2567	E <sub>1</sub>	UG1	2567

## Time Flow Mechanism

Time Flow Mechanism

SELECT NEXT EVENT

Next event to select is always the event on the top of the Event List.

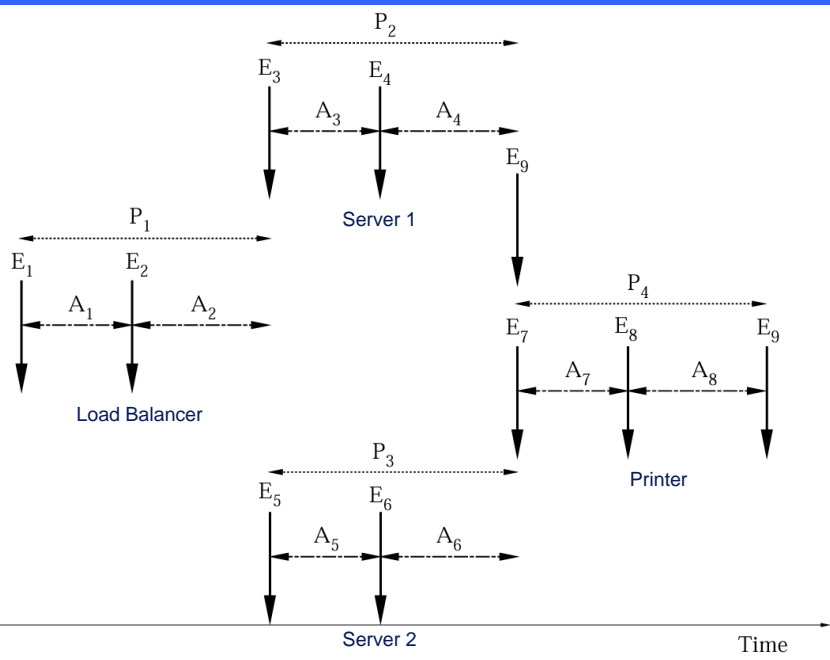
Therefore, the simulation clock value is advanced from the current value to the Event Occurrence Time of the Event on the top of the Event List.

Simulation Clock = 0  Simulation Clock = 305

Event Occurrence Time	Event ID	Arrival Source	Arrival Time
305	E <sub>1</sub>	UG4	305
434	E <sub>1</sub>	UG2	434
1800	E <sub>1</sub>	UG3	1800
2567	E <sub>1</sub>	UG1	2567

## Execute Event $E_1$ at Time 305

Simulation Clock = 305



Event Occurrence Time	Event ID	Arrival Source	Arrival Time
305	$E_1$	UG4	305

### E1 Event Execution Program:

- Since the  $E_1$  event designates an arrival of a new job to the system, before we execute it, we first generate and schedule the arrival of the next job from the same source.
- To do this, see the next slide.

## Scheduling the Arrival of the Next Job

Simulation Clock = 305

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

- Assume that calling **ExponentialRVG(266.67)** returns 1645 as a random value for the Interarrival time. Add it to the current simulation clock value 305 to obtain an arrival time of 1950.
- Create an event record as follows:

Attribute 1 Event Occurrence Time	Attribute 2 Event ID	Attribute 3 Arrival Source	Attribute 4 Arrival Time
1950	E <sub>1</sub>	UG4	1950

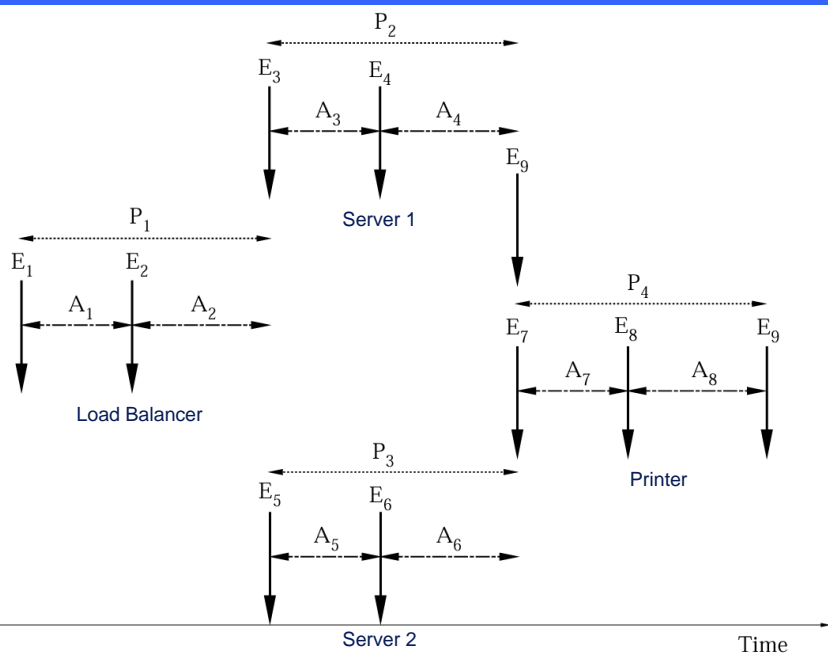
- Insert this record in the Event List with respect to the Event Occurrence Time.

## Event $E_1$ Execution

Simulation Clock = 305

Event Occurrence Time	Event ID	Arrival Source	Arrival Time
305	$E_1$	UG4	305

`timeAtWhichLBWillBeldle = 0`



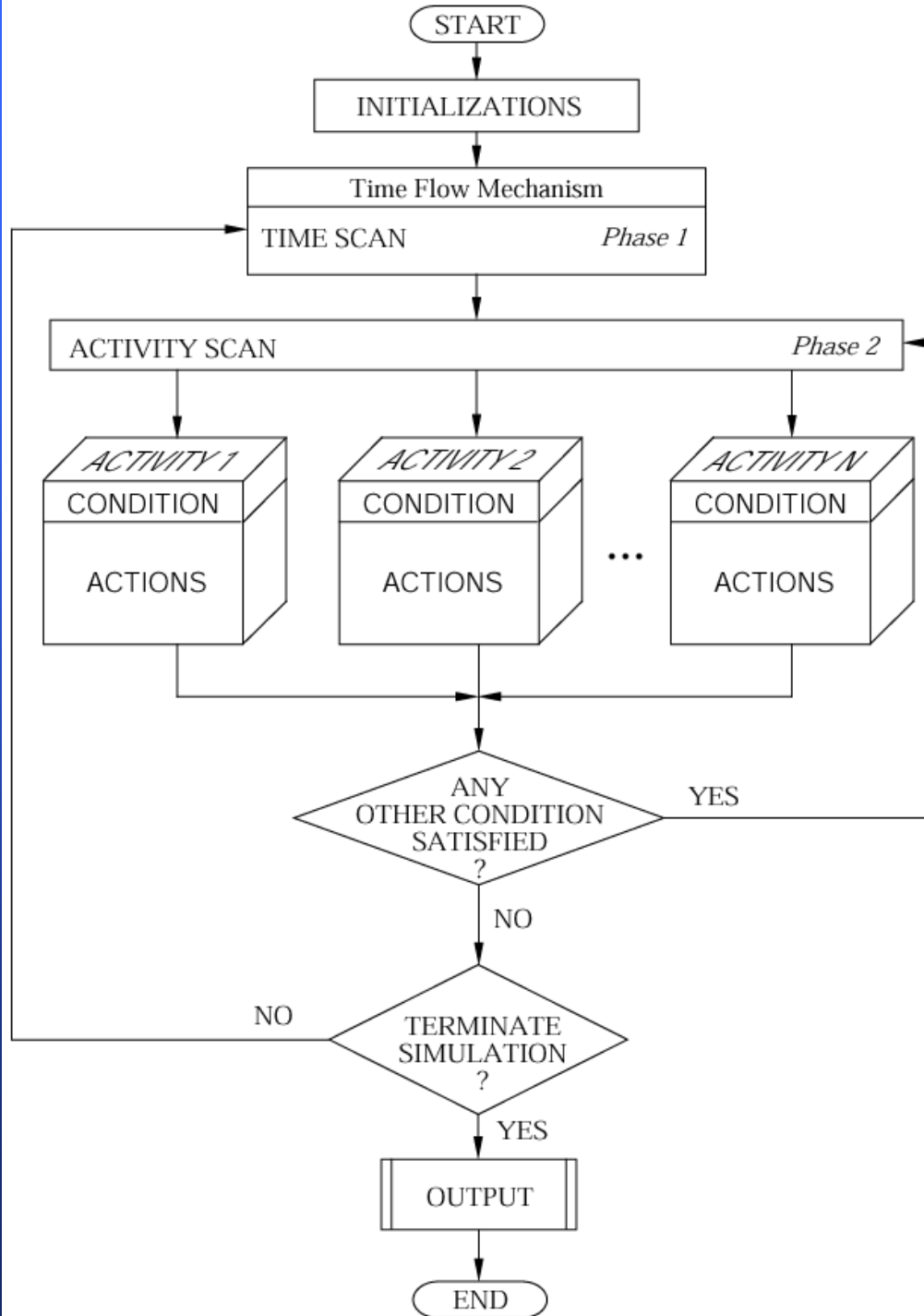
- Since the Load Balancer is idle, the job can enter into service at time 305.
- Assume that calling `ExponentialRVG(112)` returns 200 as a random value for the service time by the Load Balancer.
- Thus, the arriving job will leave the Load Balancer at time  $305+200 = 505$
- Set `timeAtWhichLBWillBeldle = 505`
- Generate a random number between 0 and 1 to represent the probability of selecting a Server. Assume that it is 0.5 implying the selection of Server1.
- Create a new Event  $E_3$  with occurrence time 505, arrival source UG4, and arrival time 305.
- Insert the new Event  $E_3$  record into the Event List.
- Delete the top Event  $E_1$  just executed from the Event List.
- The new Event List looks like as shown on the next slide.

## Event List After the $E_1$ Event Execution

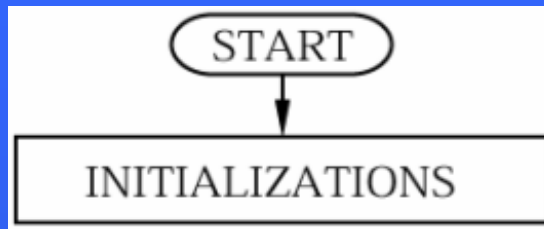
Event Occurrence Time	Event ID	Arrival Source	Arrival Time
305	$E_1$	UG4	305
434	$E_1$	UG2	434
→ 505	$E_3$	UG4	305
1800	$E_1$	UG3	1800
→ 1950	$E_1$	UG4	1950
2567	$E_1$	UG1	2567

- Go to the Time Flow Mechanism.
- Select the Next Event, which is the event on top of the Event List above.
- Advance the simulation clock to 434. Execute Event  $E_1$  at 434.
- Continue similarly until the simulation is terminated.

# Activity Scanning



# Initializations



Simulation Clock = 0

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

Random Variates

- 2567
- 434
- 1800
- 305

## The Activity (Condition) List after the Initializations:

Is there an arrival from UG4 at time 305?	Is there an arrival from UG2 at time 434?	Is there an arrival from UG3 at time 1800?	Is there an arrival from UG1 at time 2567?
Actions	Actions	Actions	Actions

## Example Condition List

Top of the List

Is there an arrival to the system from UG1 at time 1200? →

Is Server1 available AND there is at least one job in its queue? →

Is there an arrival to Printer at time 1378? →

Is LB available AND there is at least one job in its queue? →

Is there an arrival to the system from UG4 at time 1720? →

Is Server2 available AND there is at least one job in its queue? →

Is there an arrival to Server2 at time 3400? →

Is there an arrival to the system from UG2 at time 6200? →

Bottom of the List

Is Printer available AND there is at least one job in its queue? →

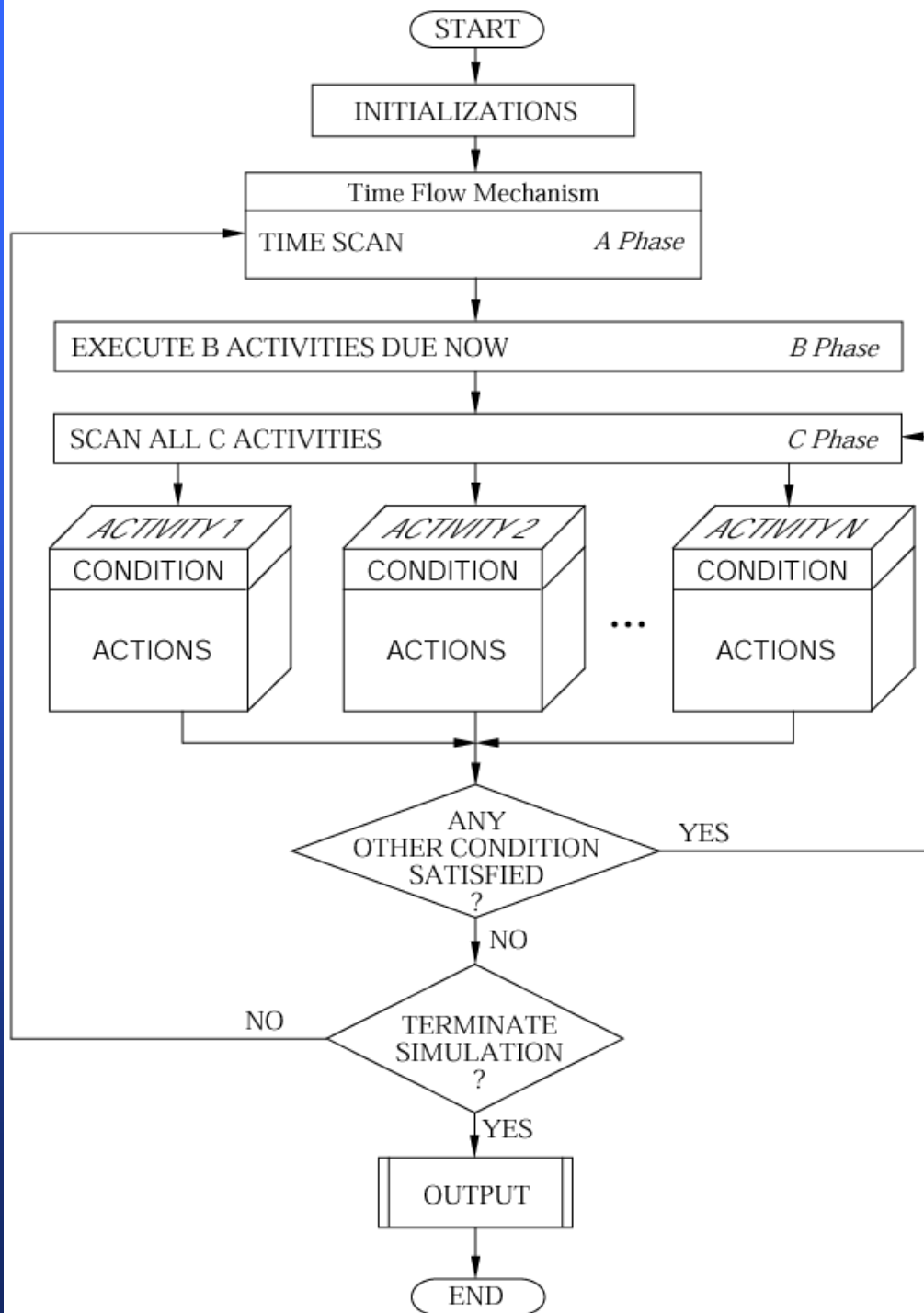
Logical Ordering



→ Designates the pointer to the procedure (actions) to be executed if the condition is true.

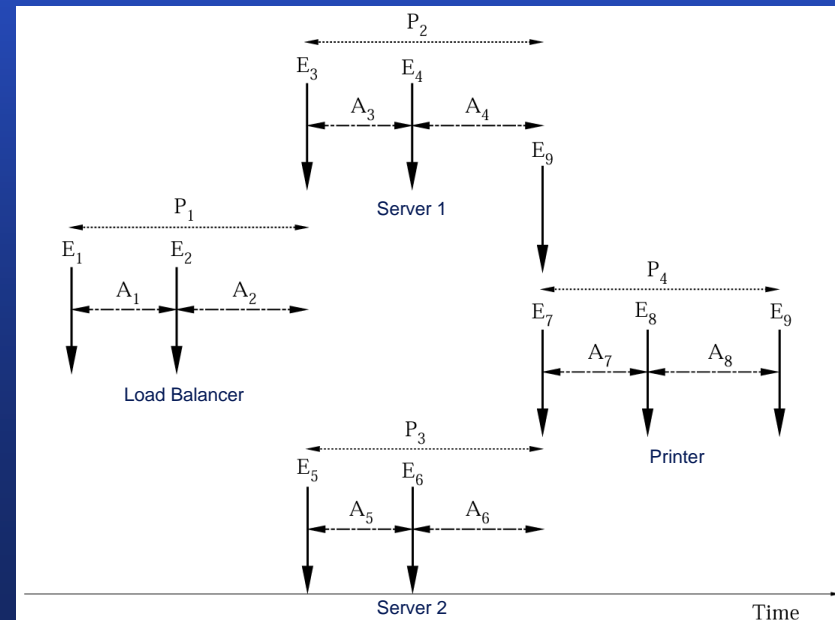
## Time Flow Mechanism and Execution Logic

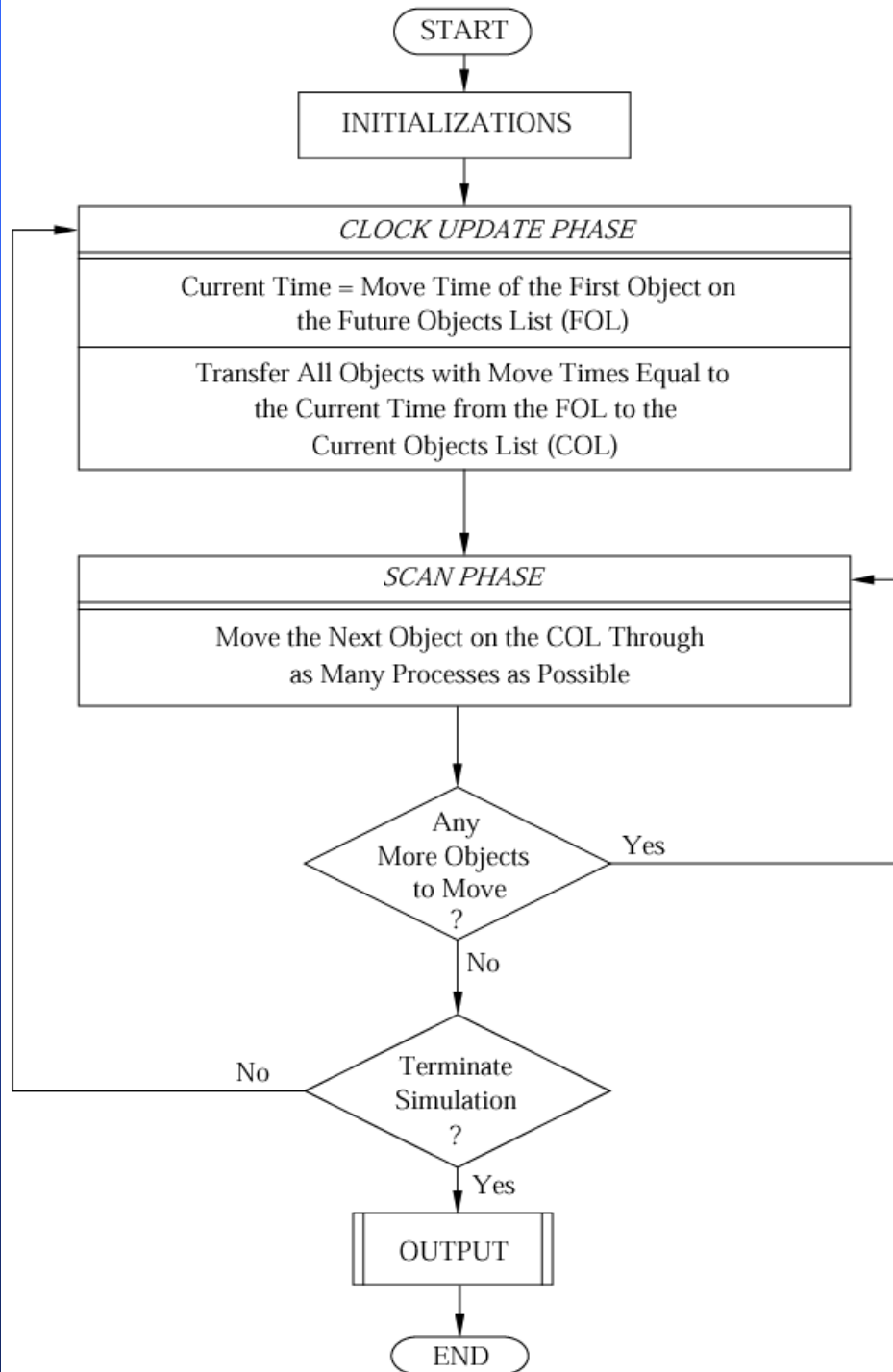
- The **Activity Scanning** approach is a **pure state-based approach** for which **Fixed Time Increment Time Flow Mechanism (TFM)** is used.
- The simulation time (clock) is advanced by a small delta  $t$  fixed amount. Assume that delta  $t$  is 1 second for our example problem.
- Increment the simulation clock from 0 to 1 second.
- Scan the activity (condition) list from top to bottom.
- If a condition is satisfied, then execute the corresponding actions. Note that execution of the actions may create new activities to be inserted into the activity list in a logical order.
- If no condition is satisfied, after repeated scan of the condition list, then go to the TFM and increment the simulation clock by delta  $t$ .
- Execute the activity scan again.
- Continue similarly until the simulation is terminated.



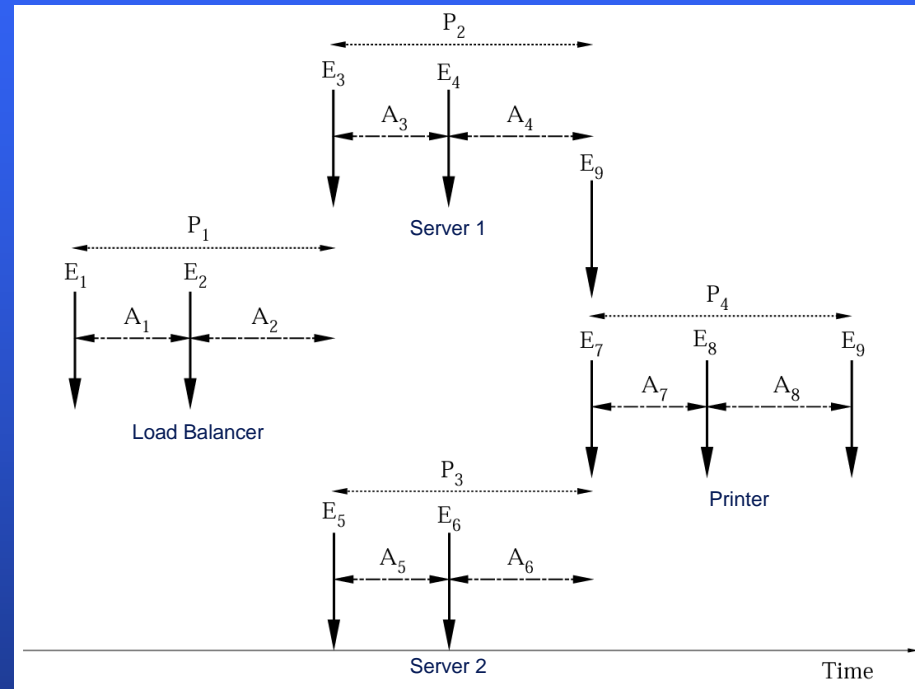
## Three Phase Approach

- **B Activities:** are the **bound** to occur or **book-keeping** activities
  - e.g.,  $E_k$ ,  $k = 1,3,5,7,9$
- **C Activities:** are the **conditional** or **co-operative** activities
  - e.g.,  $A_k$ ,  $k = 2,4,6,8$

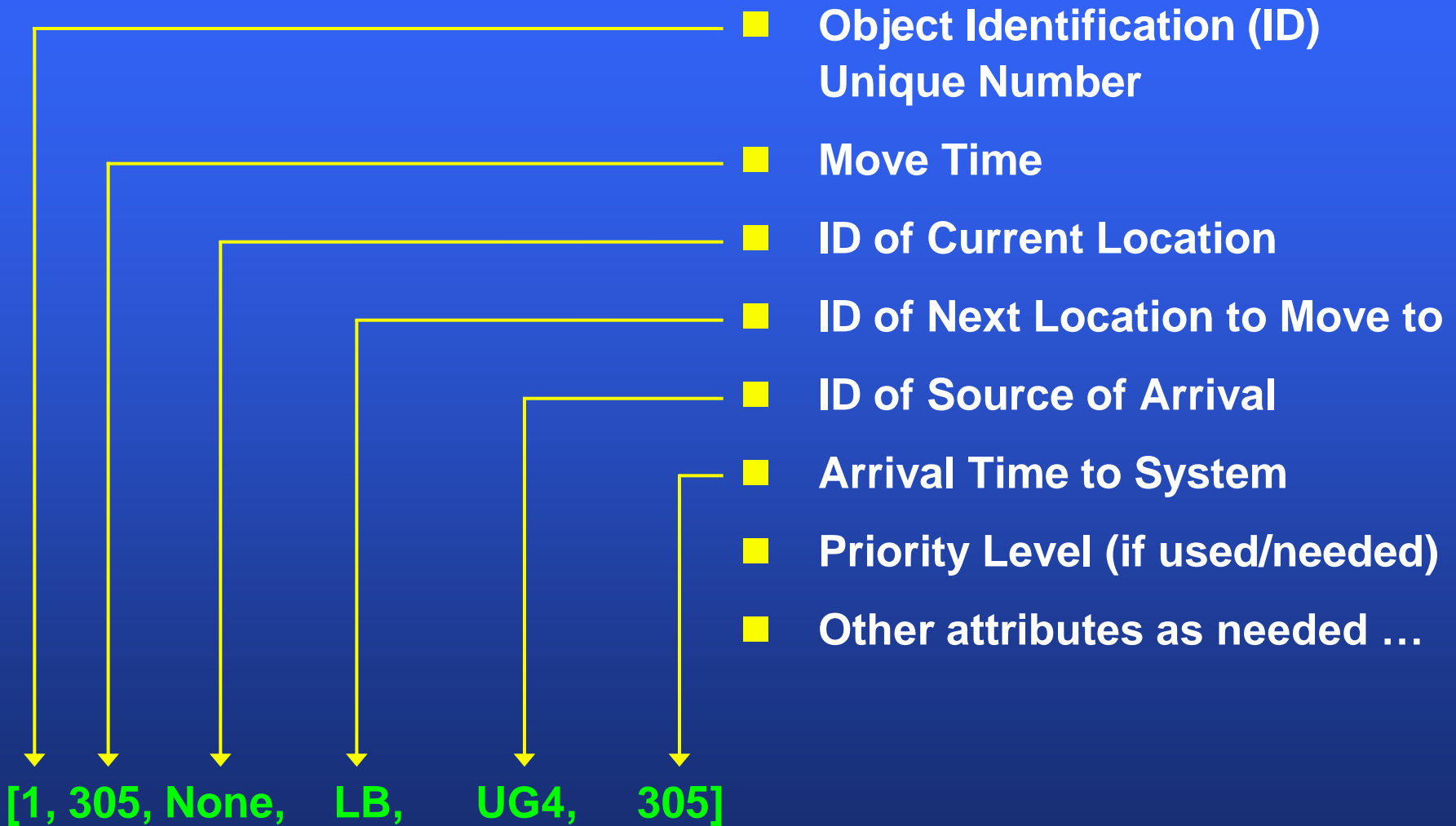




## Process Interaction

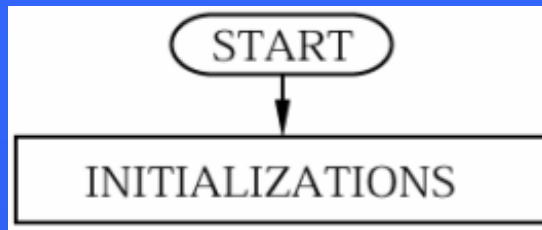


## Attributes for Describing an Object



“None” implies that the object is outside of the model and it is on its way to the model.

# Initializations



Simulation Clock = 0

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

Random Variates

2567

434

1800

305



The Future Objects List after the Initializations:



Front

[4, 305, None, LB, UG4, 305]

[2, 434, None, LB, UG2, 434]

[3, 1800, None, LB, UG3, 1800]

[1, 2567, None, LB, UG1, 2567]

Object ID numbers are reused after an object leaves the model or is terminated.

## Clock Update Phase

**Future Objects List** (ordered with respect to move times)



- Advance the simulation time (clock) to the Move Time of the First Object on the Future Objects List.

Simulation Clock = 0  Simulation Clock = 305

- Transfer all objects with Move Time equal to the current time from the Future Objects List to the Current Objects List.

**Current Objects List** (ordered as First Come First Served or any other queue discipline)



## Scan Phase

Simulation Clock = 305

### Current Objects List



[4, ASAP, None, LB, UG4, 305]

- **Scan Phase:** Move the next object on the Current Objects List through as many processes as possible. If the object cannot move to the next location, it stays on the Current Objects List.
- Moving Object 4 from NONE to Load Balancer (LB) implies that it is a new arriving job in the model.
- Since the object movement designates an arrival of a new job to the system / model, before we execute it, we first generate and schedule the arrival of the next job from the same source.
- To do this, see the next slide.

## Scheduling the Arrival of the Next Job

Simulation Clock = 305

User Group	Interarrival Times Probability Distribution	Mean Value (in seconds)
1	Exponential	3200
2	Exponential	640
3	Exponential	1600
4	Exponential	266.67

- Assume that calling **ExponentialRVG(266.67)** returns 1645 as a random value for the Interarrival time. Add it to the current simulation clock value 305 to obtain an arrival time of 1950.
- Create a new job as follows:

**[5, 1950, None, LB, UG4, 1950]**

- Insert this new job in the Future Objects List with respect to its Move Time.

## Current Objects List



[4, ASAP, None, LB, UG4, 305]

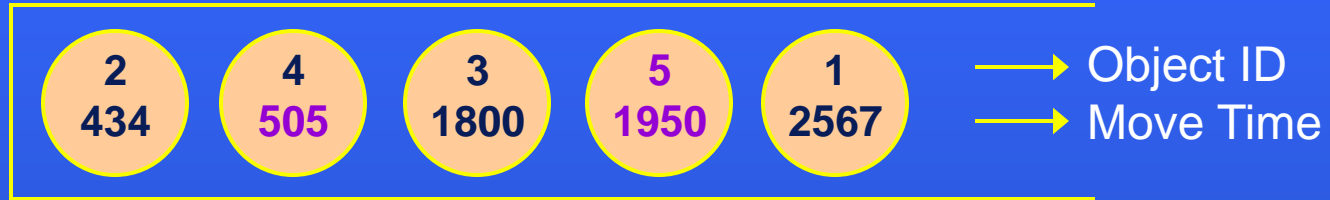
- Since the Load Balancer is idle, the job can enter into service at time 305.
- Assume that calling **ExponentialRVG(112)** returns 200 as a random value for the service time by the Load Balancer.
- Thus, the arriving job will leave the Load Balancer at time  $305+200 = 505$
- Set **timeAtWhichLBWillBeIdle** = 505
- Generate a random number between 0 and 1 to represent the probability of selecting a Server. Assume that it is 0.5 implying the selection of Server1.
- Create a new job as follows:

**[4, 505, LB, Server1, UG4, 305]**

- Insert the new job into the Future Objects List with respect to its move time.
- The new Future Objects List looks like as shown on the next slide.

## After the First Scan Phase

**Future Objects List** (ordered with respect to move times)



- Object 4 has a new move time to move from LB to Server1.
- Object 5 is a new arriving job inserted.

**Current Objects List**

Empty

- Go to the Clock Update Phase.
- Continue executing Clock Update and Scan phases until the simulation is terminated.